This handout is to help you be prepared for the material about to be learned in Section 7. Here are some problems that your instructor is expecting you to know how to solve from day 1:

1. Compute the following *indefinite integrals*:

(a) 
$$\int 2x^3 - 3\sqrt{x} + \frac{4}{x^2} dx$$
  
(b)  $\int -5e^t + 3\cos(t) + 2\sin(t) + \frac{1}{t} dt$ 

- 2. Compute the following definite integral: (a)  $\int_{-1}^{2} x - \frac{3}{2}x^{3} dx$ , (b)  $\int_{1}^{4} 5\sqrt{t} dt$
- 3. In Figure (1),  $\int_{1}^{5} f(t)dt$  equals (choose one):
  - (a) Area(A) + Area(B) (b) Area(A) Area(B)
  - (c)  $Area(A) \cdot Area(B)$  (d) Area(A)/Area(B)
- 3. Refer to Figure (2) to express in terms of one or more integrals:
  (i) Area(A) =
  - (ii) Area(B) =
  - (iii)  $\operatorname{Area}(C) =$



$[1.]  \int 1  dt = t + C$	$[5.]  \int \sin t  dt = -\cos t + C$
$[2.]  \int t  dt = \frac{1}{2}t^2 + C$	$[6.]  \int \cos t  dt = \sin t + C$
[ <b>3</b> .] $\int t^n dt = \frac{1}{n+1}t^{n+1} + C \text{ (for } n \neq -1\text{)}$	$[7.] \qquad \int e^t dt = e^t + C$
[4.] $\int \frac{1}{t} dt = \ln  t  + C$	$[8.] \qquad \int a^t  dt = \frac{1}{\ln a} a^t + C$

$$[\mathbf{9}.] \quad \int f(t) \pm g(t) \, dt = \int f(t) \, dt \pm \int g(t) \, dt$$
$$[\mathbf{10}.] \qquad \int k f(t) \, dt = k \int f(t) \, dt$$

## The Fundamental Theorem of Calculus:

If F(t) is an antiderivative of f(t) on  $a \le t \le b$ , then

$$\int_{a}^{b} f(t)dt = F(t)|_{a}^{b} = F(b) - F(a)$$

## Need to practice? Try this:

Read section 6.2, and work out some or all problems 42-78 in p. 272 of the text.